### 5.4 More Notes with 6.5 Notes (continued...)

In 5.4, we talked about how the sides and the angles of an ISOSCELES triangle are related (mark the pictures in the theorems below):

| Theorem 5.6-Base Angles Theorem | Theorem 5.7-Converse of the Base Angles Theorem |
| :--- | :--- |
| If two sides of a triangle are congruent, then the |  |
| angles opposite them are congruent. | If two angles of a triangle are congruent, then the sides <br> opposite them are congruent. |

We also talked about how the sides and angles of an EQUILATERAL triangle are related (mark the pictures of the corollaries below):

| Corollary 5.2 - Corollary to the Base Angles Thm. | Corollary 5.3 - Corollary to the Converse of the <br> Base Angles Theorem <br> If a triangle is equilateral, then it is equiangular. <br> If a triangle is equiangular, then it is equilateral. |
| :--- | :--- |

But what if the triangle is SCALENE? Is there a relationship between the sides and the angles of a scalene triangle?

## Excerpt from Geometer-SketchPad $\rightarrow$ :

In a scalene triangle,
the largest side is opposite the $\qquad$ angle, the medium side is opposite the $\qquad$ angle and the smallest side is opposite the $\qquad$ angle.


This concept is summarized in Theorems 6.9 \& 6.10:

## THEOREMS

### 6.9 Triangle Longer Side Theorem

If one side of a triangle is longer than another side, then the angle opposite the longer side is larger than the angle opposite the shorter side.


Prove this Theorem Exercise 41, page 543

$$
A B>B C \text {, so } m \angle C>m \angle A \text {. }
$$

### 6.10 Triangle Larger Angle Theorem

If one angle of a triangle is larger than another angle, then the side opposite the larger angle is longer than the side opposite the smaller angle.
Proof page 536

$m \angle A>m \angle C$, so $B C>A B$.

Let's do some examples from p. 537 and others:

6. Given triangle $A B C$ with $m \angle A=40^{\circ}$ and $m \angle B=80^{\circ}$, order the sides from smallest to largest (hint - make a sketch).

